

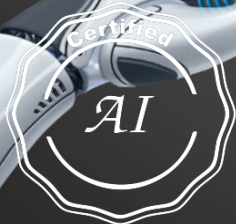
# ANITI

ARTIFICIAL & NATURAL INTELLIGENCE  
TOULOUSE INSTITUTE

## Robust and Fair Artificial Intelligence

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Chair members

Context

Objective

Outline

- ▶ Jean-Michel Loubes : Professor at Mathematical Institute of Toulouse.  
**Research** : Mathematical statistics, Machine Learning
- ▶ Mathieu Serrurier : Assistant Professor at Institut de Recherche en Informatique de Toulouse.  
**Research**: Causality, Deep Learning, Adversarial Networks.
- ▶ Beatrice Laurent : Professor at Mathematical Institute of Toulouse.  
**Research**: Mathematical Statistics, Tests.

**Machine Learning** methods aim at learning the relationships between characteristic variables  $X$  and a target variable  $Y$  to be able to forecast new observations.

The **distribution** of the learning sample is used to make inference to future observations.

The chair aims at answering the question : what happens when the distribution of the target does not correspond to the one of the target sample

- ▶ because the learning sample is biased : **Fairness**
- ▶ because the distribution of the target is different : **Robustness**
- ▶ because some information should be removed or hidden **Differential Privacy**

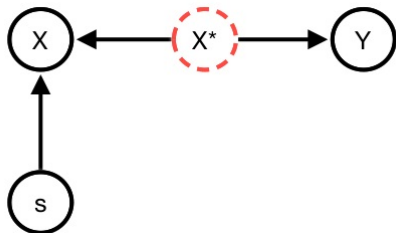
- An algorithm suffers from **unfairness** if its outcome (decisions) is (partly) based on a variable  $S$  that *should* not play a decisive role in the decision making process.
- $S$  is called **sensitive attribute** and is a variable that divides the observations into subgroups while the algorithm should not show a different behaviour over these subsets. If the algorithm does *not depend* on  $S$ , it will be **fair**.
- We assume that the algorithm is not meant to be unfair (not unfair by design) but the possible unfairness comes from the **learning process** in a machine learning framework.
- Privacy means that an observer seeing its output cannot tell if a particular individual's information was used in the computation.

- $Y$  **target**
- $X : \Omega \rightarrow \mathbb{R}^d$ ,  $d \geq 1$ , **visible attributes**
- $S : \Omega \rightarrow \{0, 1\}$  which induces a bias **protected attribute**

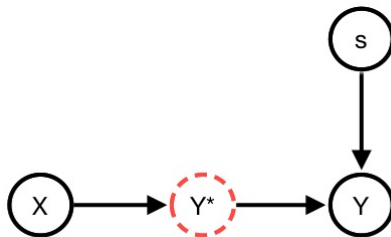
$$S = \begin{cases} 0 & \text{minority (unfavored)} \\ 1 & \text{majority (favored)} \end{cases}$$

**Fairness deals with the relationships between  $Y$ ,  $\hat{Y}$  and  $S$  :**  
 $S$  is related to  $(X, Y)$  and produces bias that may not be desired between the two groups driven by  $S$ .

$S$  is chosen by the practitioner and its choice is driven by legal, ethic or technical issues.



The attributes  $X$  are a biased version of unobserved fair attributes  $X^*$ , while the target variable  $Y$  depends only on  $X^*$  and is fair. Learning from  $X$  induces biases while fairness enables a most accurate forecast.



The decision  $Y$  observed is the result of a fair score  $Y^*$  which has been biased by the uses giving rise to  $Y$ .



Removing or controlling the *bias effect* in the Machine Learning Process enables

1. to obtain **Fair procedures** (legal or societal compliance for acceptability)
2. to obtain **Robust procedures** to be generalized without the effect of a variable that can affect proxies leading to **Transfert Learning**.

## Outline :

- ▶ How to measure fairness and then detect it ?
- ▶ Achieving Fairness by correction on the database.
- ▶ Achieving Fairness by controlling the algorithm.
- ▶ Achieving Fairness by changing the post-processing the output of the algorithm.

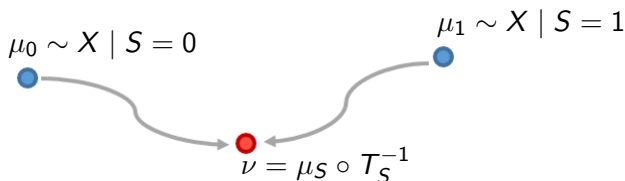
- ▶ **Mathematical foundations of Fairness** : develop theoretical framework and fill gaps between theory and algorithms
- ▶ **New Measures of Fairness** : independency of the conditional distributions  $\mu_s = \mathcal{L}(f(X)|S = s)$  using Optimal Transport theory and Monge-Kantorovich distance and using causality.
- ▶ **New algorithms** to repair the data or to build fair classifiers with provable guarantees (using gradient descent or adversarial networks).
- ▶ Applications to robust and transfert learning for critical systems.
- ▶ Fairness for Natural Language Processing.

- ▶ Creation of stress models to test algorithms by imposing deformations on the distributions. (directly using optimal transport, using entropic methods, using variational auto-encoders)
- ▶ Sensitivity Analysis to understand uncertainty propagation of the algorithm or the learning process (provides explainability of black box models).
- ▶ Link between differential privacy and fairness.
- ▶ Bounds for statistical learning under privacy assumptions.

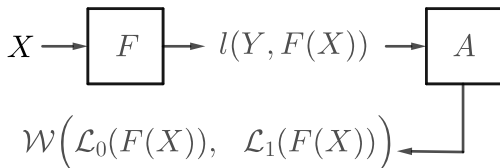
**Methodology:** Find a transformation for each group such that

$$\begin{aligned} T_S : \mathbb{R}^d &\longrightarrow \mathbb{R}^d \\ X &\longmapsto \tilde{X} = T_S(X) \end{aligned}$$

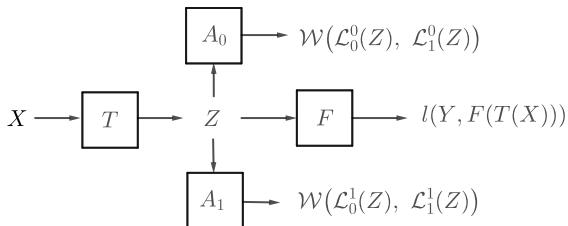
$$\text{s.t. } \nu := \mathcal{L}(T_0(X) \mid S = 0) = \mathcal{L}(T_1(X) \mid S = 1)$$



- The target distribution  $\nu$  has to be chosen in order to convey *enough* information on the link between  $X$  and  $Y$ .

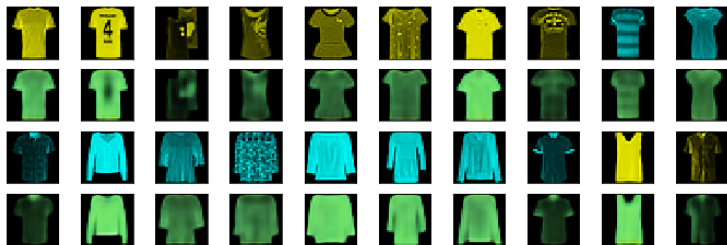


Networks for equality of odds



Networks for equality of opportunities

# Fairness penalty : Illustration



- ▶ Phd on robustness of sensitivity analysis of learning process starting (november 2019 joint with E. Pauwels)
- ▶ Phd on optimal transport and regularization for robust machine learning (joint with M. Serrurier and E. del Barrio) proposal for 2020
- ▶ Propositions of industrial Phd (Continental, Liebherr, Quantmetry... )
- ▶ Post-doc : 1/2020 Transfert Learning
- ▶ Post-doc : 09/2020 Robust Tests with differential privacy and applications to supervised classification (supervised by B. Laurent)

- ▶ Existing Links with geometrical methods (F. Gamboa) due to manifold structure of set of distributions
- ▶ Existing Links with Law and Ethics (C. Castets-Renard)
- ▶ Links to be drawn with AI by argumentation and persuasion (Leila Amgoud) and all chairs related to certification (Daniel Delahaye) and optimisation (numerous chairs)
- ▶ Industrial Applications (DEEL project)