

DeepLever – Deep Learner Explanation & VERification



Outline



- General presentation
- Some results
 - Members
 - Scientific results
 - Related works
 - (Planned PhD / post doc proposals)

- (Interaction with other chairs / industrial)

Chair members





Joao Marques-Silva

Université de Lisbonne Logic and Satisfiability (SAT, MaxSAT, QBF)

Martin Cooper

Université Paul Sabatier Complexity of Constraint Satisfaction Prob. (CSP)

Emmanuel Hebrard

CNRS Cycling

Automated Reasoning

Context



- "New" vs. "Old" Al
 - Do we still need logic and models? (debate at AAAI'19)
- Some arguments for Hybrid AI among the 7 invited talks at IJCAI'19:
 - Adnan Darwiche: Explanation of AI systems via OBDD
 - Michela Milano: Merging model-based and data-driven models
 - Zhi-Hua Zhou: Deep ML is not necessarily deep NN
- Verification & Explanation
 - Using automated reasoning and logic to reason about ML

Model Synthesis

• Learning via automated reasoning and combinatorial optimization

Explainability



Consider a Machine Learning model as a Boolean function M

- Explanations are *prime implicants* of $M(x) = \pi$
 - Minimal subset of features that entail the prediction

Weekend $\land \neg$ (Price = \$\$\$) $\land \neg$ (Estim ≥ 60) then Wait

- Encode the model within a framework and find prime implicants
 - OBDD [Shih, Choi, and Darwiche. IJCAI'2018] polytime (size of OBDD)
 - CNF [Ignatiev, Narodytska, and Marques-Silva. AAAI'2019] SAT
- Verify and repair heuristic explanations (LIME, Anchor)
 - Model counting to verify and explain LIME and Anchor [Naroditska, Shrotri, Meel, Ignatiev and Marques-Silva. SAT'19], which are mostly wrong [Ignatiev, Narodytska and Marques-Silva ArXiv preprint]

Verification



Robustness of learned model M

Small perturbations do not change the prediction



Find an adversarial example, or prove that none exist

- Instance I' such that $M(I') \neq \pi$ at distance ε from I such that $M(I) = \pi$
 - Encode $M(x) \neq \pi AND dist(x, l) \leq \varepsilon$ and query Satisfiability
 - [Katz, Barrett, Dill, Julian and Kochenderfer, CAV'17]
 - [Narodytska, Kasiviswanathan, Ryzhyk, Sagiv and Walsh. AAAI'18]

Duality explanations / counter-examples



[Ignatiev, Narodytska and Marques-Silva NeurIPS'19]

- Explanation: minimal and entail the prediction π
- Counter-example: minimal and entail not π
 - Any counter-example contradicts every explanation (& vice-versa)

Explanation: Weekend $\land \neg$ (Price = \$\$\$) $\land \neg$ (Estim ≥ 60) then Wait

- Counter-example must include either ¬Weekend, (Price = \$\$\$) or (Estim ≥ 60)
- Same hitting-set duality as diagnoses and conflicts [Reiter 80]
 - Same hitting-set duality used in modern MaxSAT solvers
- Adversarial examples are counter-examples at distance $\leq \epsilon$



Models again, but to solve the learning problem

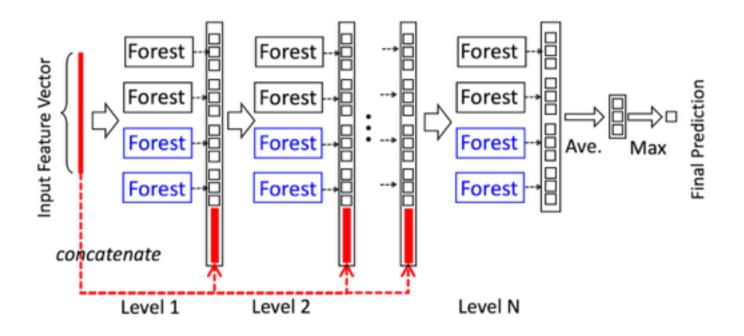
- Binarized neural network via CP and MIP [Icarte, Illanes, Castro, Cire, McIIraith and Beck. CP'19]
- Practical? Not really so far (only for tiny networks)
- Why using SAT, CP or MIP?
 - Can potentially provably optimize some objective
 - Can easily add extra constraints, such as fairness [Aïvodji, Ferry, Gambs, Huguet and Siala, soumis à FAT'20]
 - Efficient dedicated methods can be designed
- State of the art for decision trees
 - [Bessiere, Hebrard and O'Sullivan. CP'09], [Narodytska, Ignatiev, Peirera and Marques-Silva. IJCAI'18], [Verhaeghe, Nijssen, Pesant, Quimper and Schaus. CP'19]

Model Synthesis



Deep random forest are competitive with deep neural networks

Deep models and efficient algorithms [Zhou and Feng. IJCAI'17]



Likely that state of the art can be attained or improved via (Max)SAT

• Generate (a lot of) small trees, can encode complex objectives

Model Synthesis



• Learning logic models

- Learning combinatorial structure can be challenging for standard neural networks, e.g. Sudoku [Palm et al. ArXiv preprint]
- Embed a combinatorial structure (e.g. SAT formula) as a layer of a neural network [Wang, Dolti, Wilder and Kolter ICML'19]
 - Input: subset I of variables of the formula
 - Output: complement V \ I, consistent with the formula
- Dedicated algorithms for the forward pass and for the backward pass
- Constraint Acquisition [Bessiere, Coletta, Hebrard, Katsirelos, Lazaar, Narodytska, Katsirelos and Walsh, IJCAI'13]: learn a CSP

Conclusions



- (Ambitious) Objectives

- The problems of explaining, verifying, and learning ML models
- Complexity, Algorithms, Solvers

- Possible Interactions

- Thomas Schiex
- Louise Travé-Massuyès
- Leila Amgoud
- Jean-Michel Loubes

- ..